

**C3**

# **Laboratorio 1**



Universidad de Buenos Aires –  
Exactas  
**departamento de física**

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## REPASO

\* Mediciones y sus incertezas  $(x' \pm \Delta x)$  cm

\* Influencia del observador

- a) Uso de programa para análisis de imagen y medición de longitudes características de discos de  $\text{Ni}_{80}\text{Fe}_{20}$
- b) N mediciones de la longitud de un objeto particular

# REPASO

Ej. Medida de una longitud  $x'$ :

$$(x' \pm \Delta x) \text{ cm} \Rightarrow x' \in (x' - \Delta x, x' + \Delta x)$$

$x'$ (cm)	$\Delta x$ (cm)	$E_r$	$E_r\%$
2,5	0,1	0,04	4
8,3	0,1	0,012	1,2
15,0	0,1	0,0067	0,67

- \* **Errores sistemáticos** (corrimiento de cero, calibración)
- \* **Errores causales** (observador, instrumentos,...)

Como definir un rango de incerteza para cada medición directa?

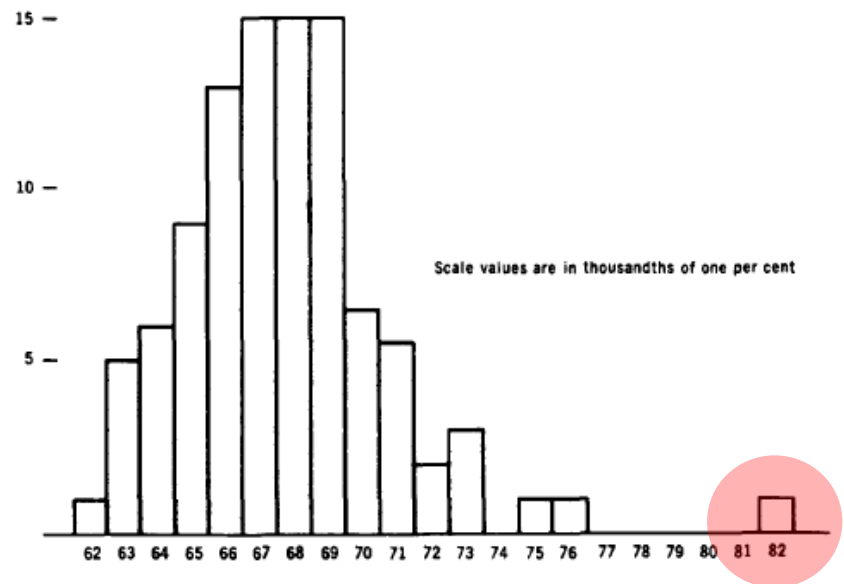
- \* Resolución del instrumento de medición
- \* Muestreo estadístico

# Errores casuales => Estadística. N mediciones

Espesor de una hoja de papel, N= 95

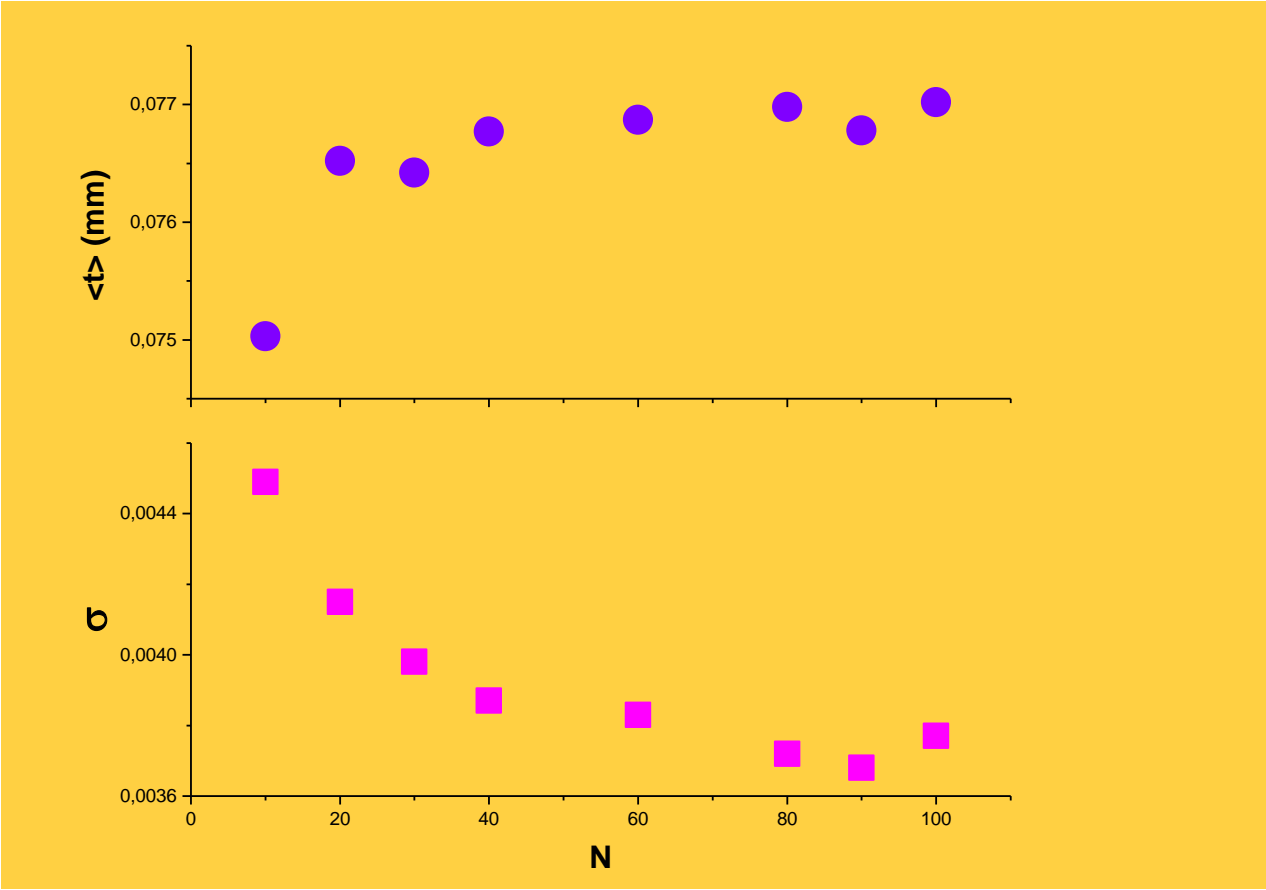
thickness in mm.			
.0757	.0762	.0769	.0746
.0808	.0793	.0781	.0821
.0811	.0772	.0770	.0756
.0655	.0683	.0714	.0746
.0741	.0710	.0748	.0711
.0756	.0772	.0776	.0759
.0775	.0785	.0760	.0761
.0747	.0765	.0735	.0776
.0719	.0762	.0802	.0713
.0734	.0833	.0833	.0783
.0755	.0740	.0714	.0743
.0788	.0817	.0794	.0766
.0731	.0716	.0726	.0714
.0833	.0794	.0783	.0788
.0767	.0775	.0765	.0793
.0787	.0798	.0864	.0817
.0784	.0799	.0789	.0802
.0784	.0820	.0796	.0818
.0830	.0796	.0778	.0767
.0741	.0680	.0733	.0723
.0759	.0766	.0772	.0466*
.0810	.0812	.0789	.0776
.0777	.0759	.0795	.0790
.0784	.0786	.0797	.0859

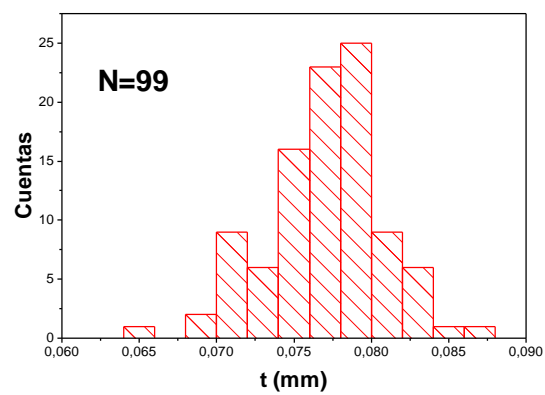
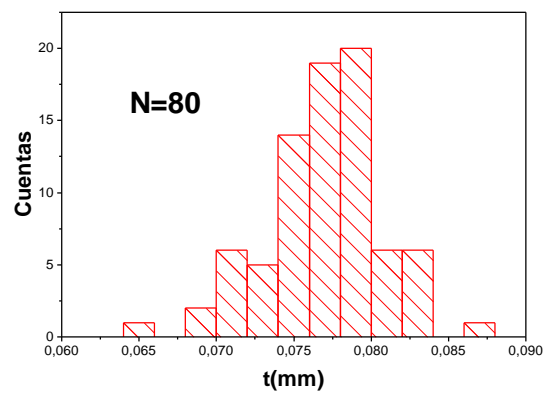
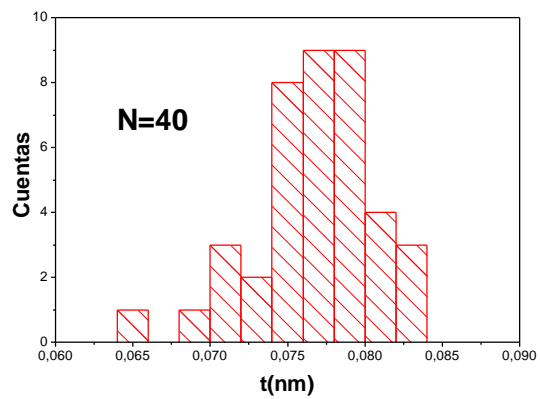
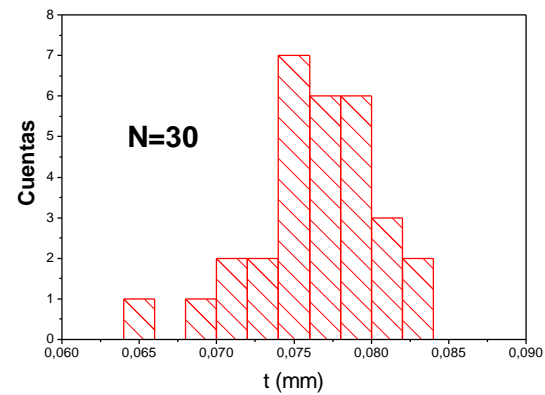
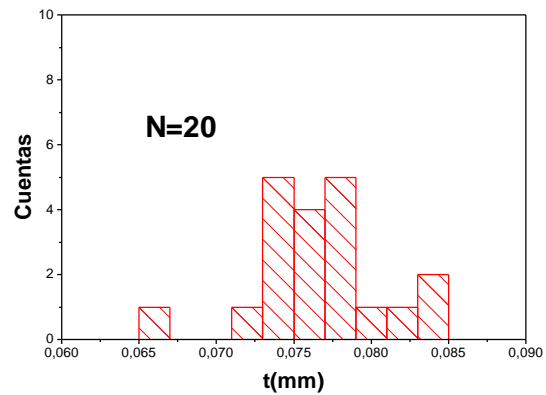
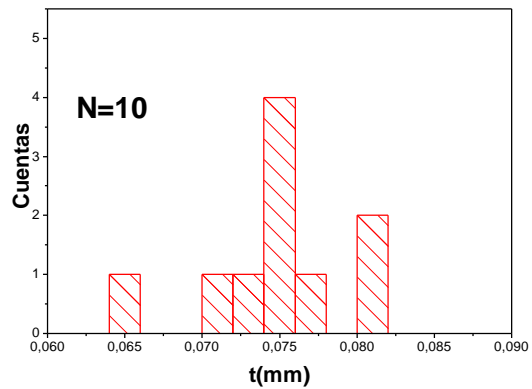
Contenido de magnesio en caños N=100



# Análisis de la pagina anterior “Medida del espesor de una pagina de papel”

## Cálculo de valores medios y desviación standard “por columna”





# Ejemplos

Figure 2. Histogram for 95 measurements of paper thickness

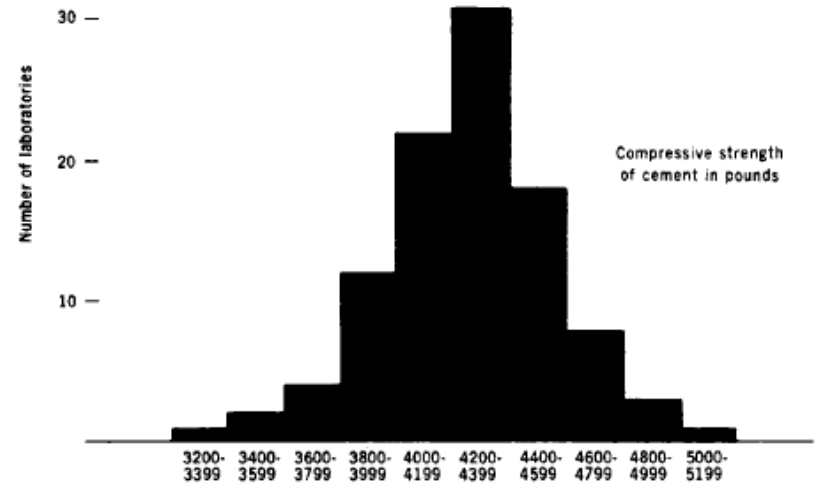
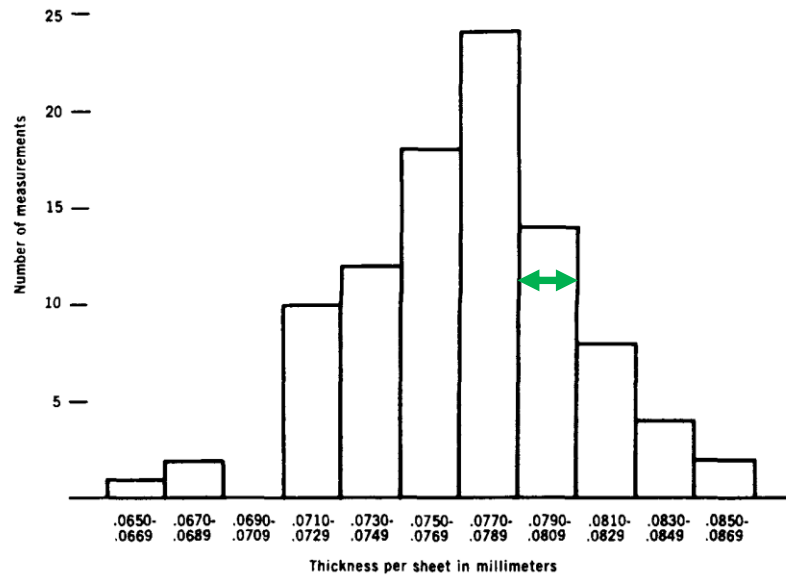
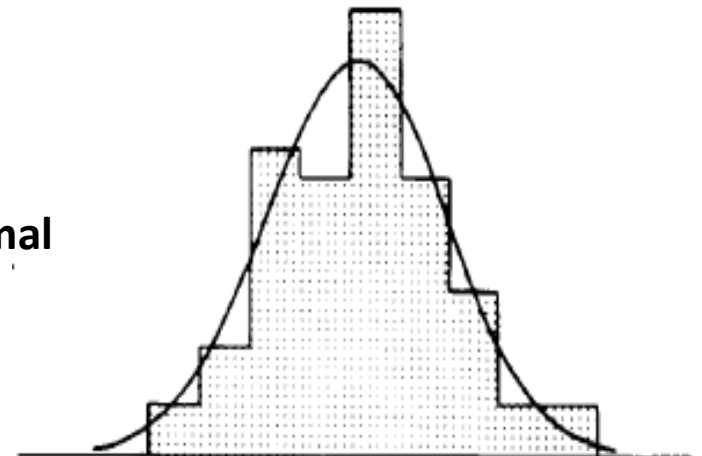


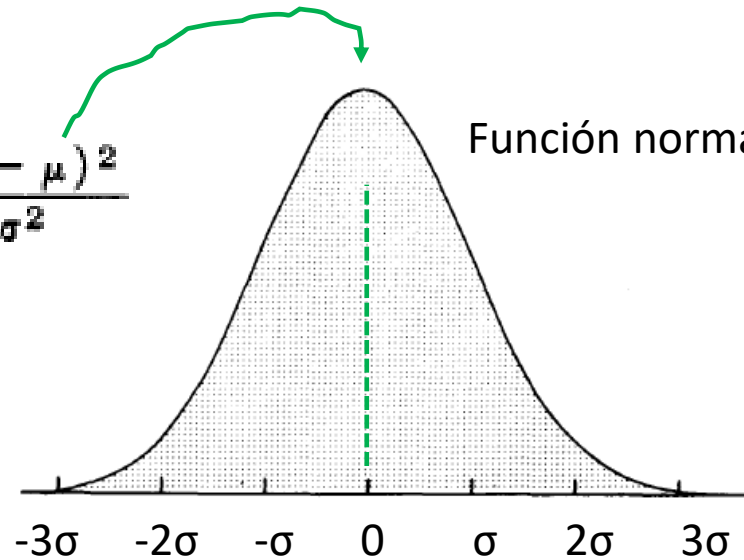
Figure 6. Histogram for cement tests reported by 102 laboratories.

Se describe **CON** una función *Gaussiana* o normal



$$y = \frac{1}{\sigma \sqrt{2\pi}} e^{-\frac{(x - \mu)^2}{2\sigma^2}}$$

Función normal



- \* Distribución simétrica
- \* Limites  $x \rightarrow +\infty$ ,  $x \rightarrow -\infty$

Parámetros:  $\mu$  y  $\sigma$

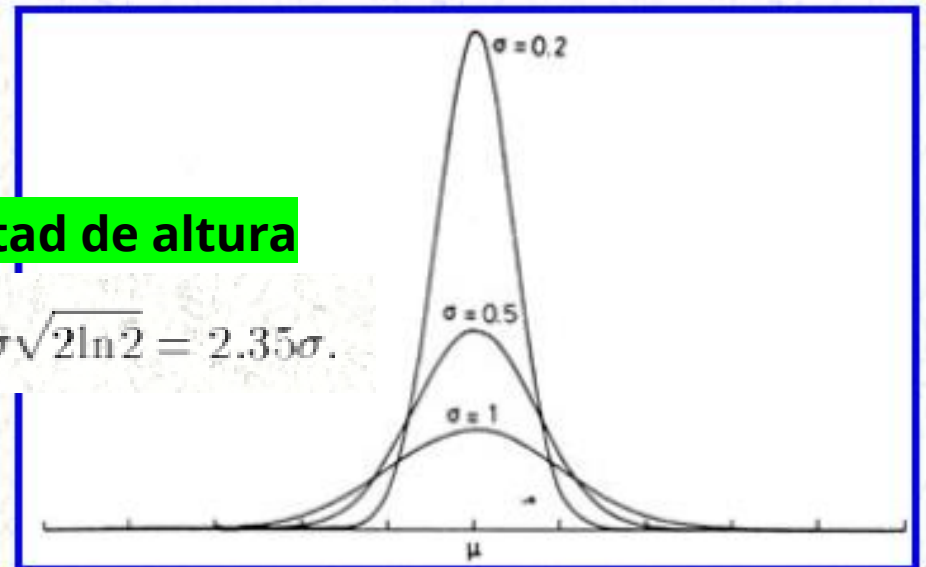
Habíamos definido:

$$\langle x \rangle = \frac{\sum_{i=0}^N x_i}{N}$$

$$\sigma = \sqrt{\left( \frac{1}{N-1} \sum_{i=0}^N (x_i - \langle x \rangle)^2 \right)}$$

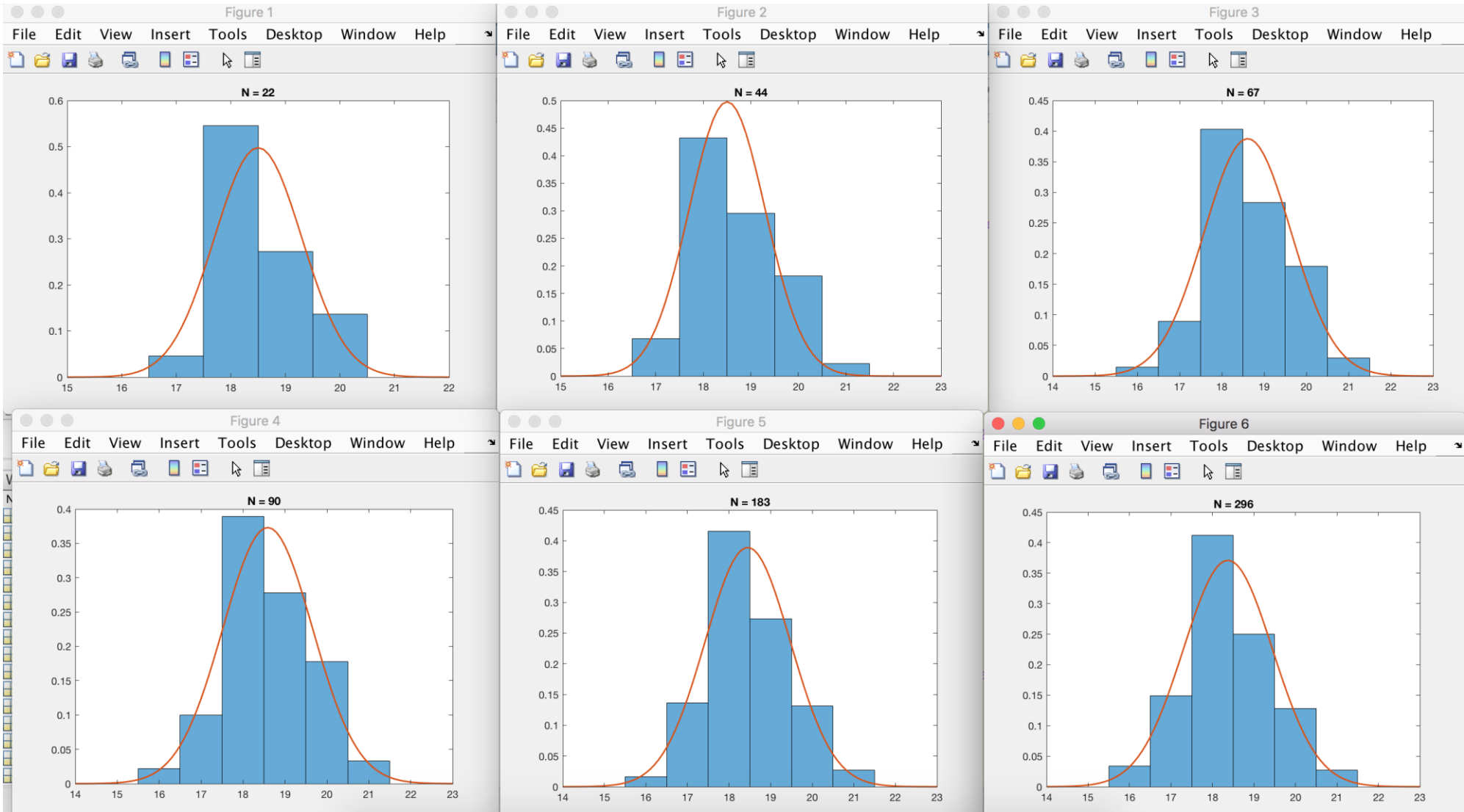
**Ancho a mitad de altura**

$$\text{FWHM} = 2\sigma\sqrt{2\ln 2} = 2.35\sigma.$$





# Cuidado "con tirar una Gaussiana" !!

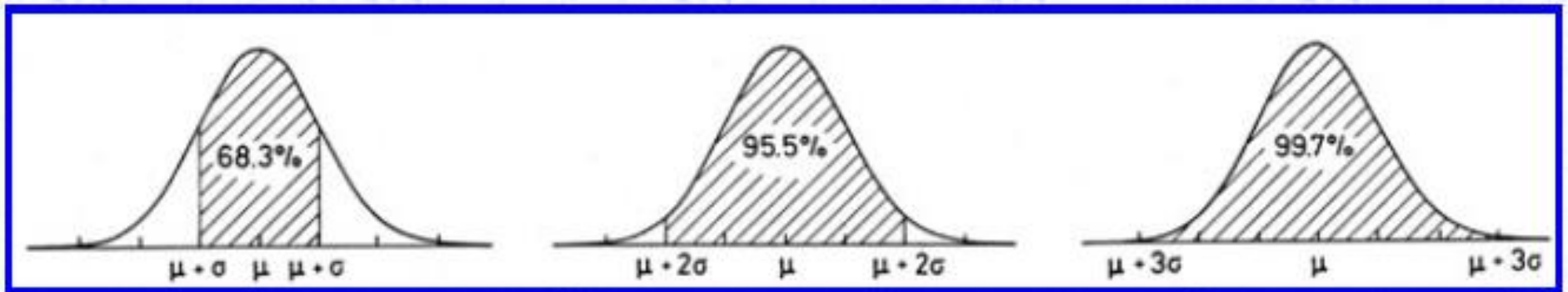


## Como calculo el numero de cuentas en el intervalo $(\mu-\sigma, \mu+\sigma)$ ?

Si grafico  $N(x)/N$  como función de  $x$ , entonces, puedo describir a la función distribución de las cuentas como:

$$y = \frac{1}{\sigma \sqrt{2\pi}} e^{-\frac{(x - \mu)^2}{2\sigma^2}}$$

$$P(x_1 \leq x \leq x_2) = \int_{x_1}^{x_2} P(x) dx; \quad \int P(x) dx = 1$$



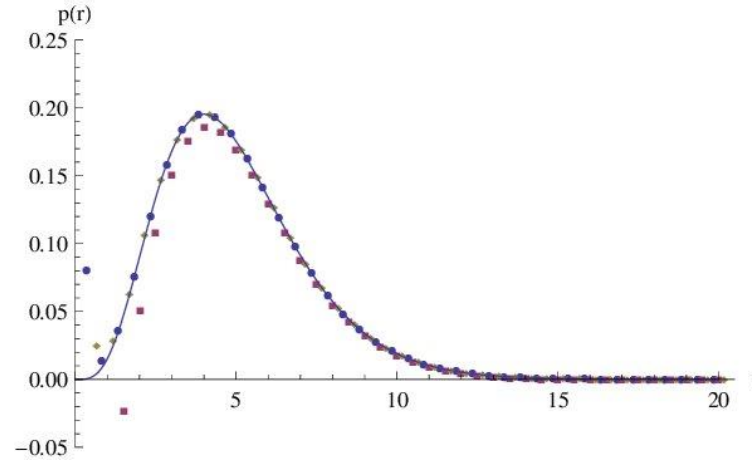
Porcentajes calculados a partir de la integral de la curva

$$N_{\text{cuentas}}(\mu-\sigma, \mu+\sigma)/N_{\text{total}} * 100$$

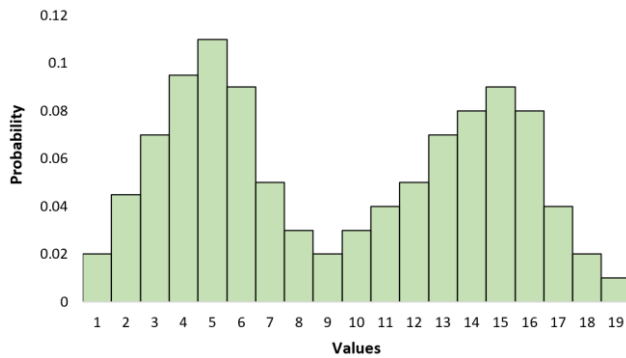
# Otras distribuciones

## Poisson

$$P(X = x) = \frac{\lambda^x e^{-\lambda}}{x!}$$

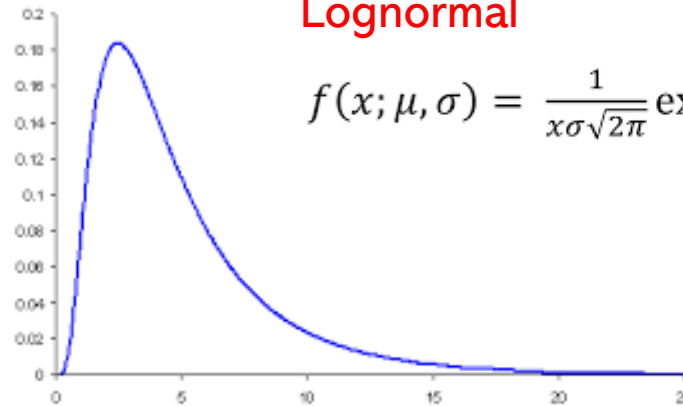


## Bimodal



## Lognormal

$$f(x; \mu, \sigma) = \frac{1}{x\sigma\sqrt{2\pi}} \exp\left(-\frac{(\ln x - \mu)^2}{2\sigma^2}\right)$$



## Practica I

**Objetivos:** Determinar el **intervalo de incerteza** en una medición. Análisis de la **distribución** de N valores de la medición de una magnitud - estadística

### **A: Medida de N discos “idénticos”**

- Información sobre la imagen: tomada por un microscopio de fuerza atómica. Resolución lateral: algunos nm (dependiendo microscopio)
- Información sobre los discos: los discos están compuestos de una aleación de Ni<sub>80</sub>Fe<sub>20</sub> y micro-fabricados a partir de una película delgada de este material (espesor: 20nm)

### **B: Medida de la longitud característica de un cuerpo N veces**

# Análisis de datos: sobre uso del origen

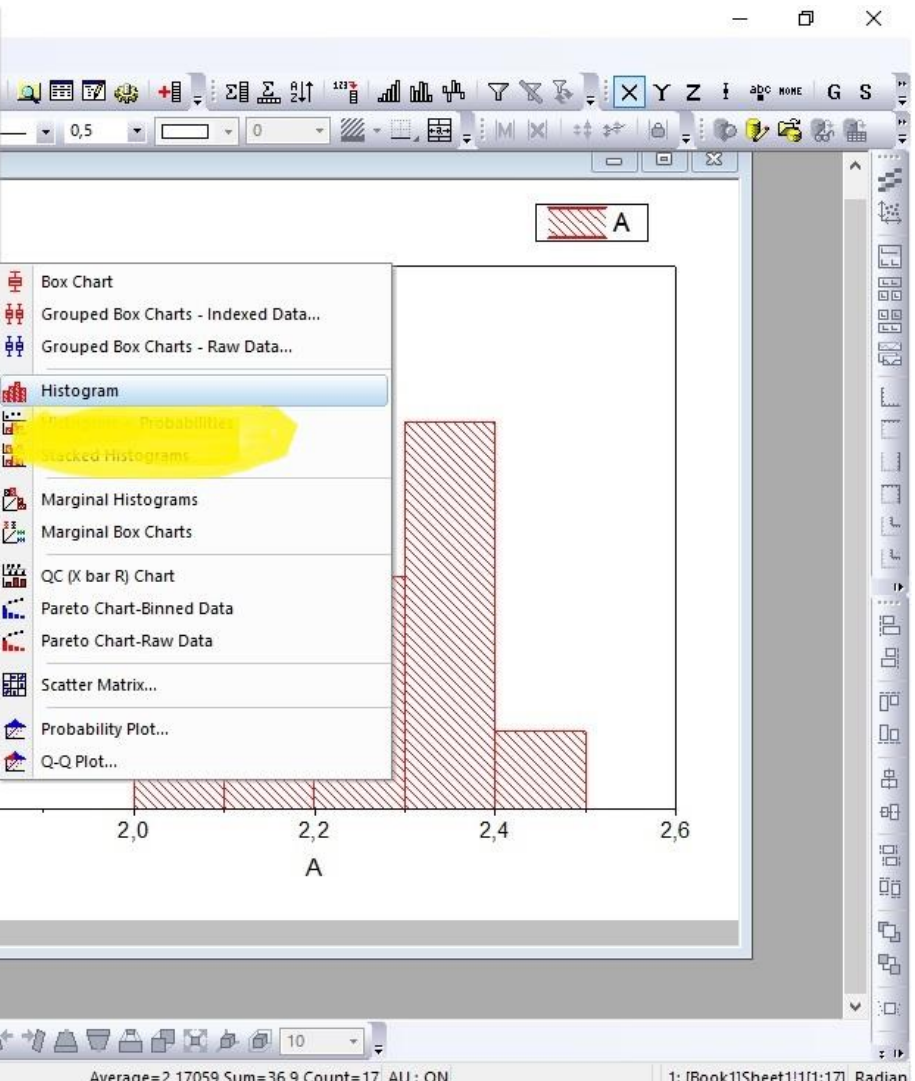
The screenshot displays the OriginPro 9.1 interface. The main window shows a data table with columns A(X) and B(Y). The 'Statistics on Columns' dialog box is open, showing the 'Perform Descriptive Statistics' description. The 'Recalculate' dropdown is set to 'Manual'. Under 'Input Data', 'Independent Columns' is selected. The 'Data Range' is set to '[Book1]Sheet1!A'. Under 'Quantities to Compute', the following options are checked: Moments, N total, Mean, Standard Deviation, and Sum. The 'SE of mean', 'Lower 95% CI of Mean', 'Upper 95% CI of Mean', and 'Skewness' options are unchecked. The 'N missing' option is also unchecked.

	A(X)	B(Y)
Long Name		
Units		
Comments		
F(x)		
1	2	
2	2,3	
3	2,5	
4	2,3	
5	2,4	
6	2,1	
7	2,3	
8	2,4	
9	2,5	
10	2,1	
11	2,2	
12	2,6	
13	2,4	
14	2,3	
15	2,2	
16	2,2	
17	2,1	
18	2,1	
19	2	
20	2,5	
21	2,5	
22		
23		
24		
25		
26		
27		
28		
29		
30		

Long Name
Units
Comments
F(x)
9
10
11
12
13
14
15
16
17
18
19

- Plot
- Copy Ctrl+X
- Copy Columns to...
- Paste Ctrl+V
- Insert
- Delete
- Clear Supr
- Remove Links
- Set As
- Set As Categorical
- Set Column Values... Ctrl+Q
- Set Multiple Columns Values... Ctrl+Mayusculas+Q
- Fill Column with
- Set Sampling Interval...
- Show X Column...
- Filter
- Mask
- Mask Cells by Condition...
- Sort Column
- Sort Worksheet
- Sort Columns by Label...
- Reverse Order
- Normalize...
- Frequency Count...
- Statistics on Column
- Hide/Unhide Columns
- Move Columns
- Swap Columns...
- Column Width

- Line
- Symbol
- Line + Symbol
- Column/Bar/Pie
- Multi-Curve
- 3D XY
- 3D Surface
- 3D Symbol/Bar/Vector
- Statistics
- Area
- Contour
- Specialized
- Stock
- User Defined
- Template Library...
- 1 Histogram
- 2 Column
- 3 Scatter
- 4 Column + Label
- 5 Line + Symbol
- 6 Color Map Surface
- 7 3D Scatter





File Edit View Graph Data Analysis Gadgets Tools Format Window Help

100%

Default: Arial 0 B I U x² x αβ A

Book1

	A(X)	B(Y)
Long Name		
Units		
Comments		
F(x)		
9	2,3	
10	2,3	
11	2	
12	2,35	
13	2	
14	2,45	
15	2	
16	2	
17	2	
18		
19		

Sheet1

Graph2

Plot Details - Plot Properties

Graph2

- Layer1
  - [Book1]Sheet1!A(Y) [1\*:17\*]

Pattern Spacing Data

Type Dots

Single Block Barplot

Automatic Binning

Bin Size 0,1

Number of Bins 7

Begin 1,9

End 2,5

Bin Height (0-100) 100

Bin Worksheet

Add Distribution Curves

Go

Distribution Curve

Type None

Bins Alignment

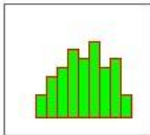
Center

Right

Left

Data Width (%) Auto

Preview



The Counts column in the Bin Worksheet can be used for fitting.

Plot Type: Histogram

>> Workbook OK Cancel Apply

Count

6

4

2

0

1,8

C

for Help, press F1

-- AU : ON Dark Colors & Light Grids 1:[Book1]Sheet1!Col(A)[1:17] 1:[Graph2]!11 Radian

ESP 11:31

# Pagina "bins" pares x, y

X: longitud  
Y: cuentas

## Para buscar la mejor curva

Analysis => Fitting  
=> Nonlinear curve fit  
=> Open dialog

## En la ventana elegir:

Category: Statistics  
Function: Gauss

Analysis Gadgets Tools Format Window Help

NLFIT (Gauss)

Dialog Theme :

Settings Code Parameters Bounds

-function selection  
Data Selection  
Fitted Curves  
Find X/Y  
Advanced  
Output

Category: Statistics  
Function: Gauss  
Iteration Algorithm: Levenberg-Marquardt  
Description: Area version of Gaussian Function  
File Name [FDF]: C:\Program Files\OriginLab\Origin\fitfun\Gauss.fdf

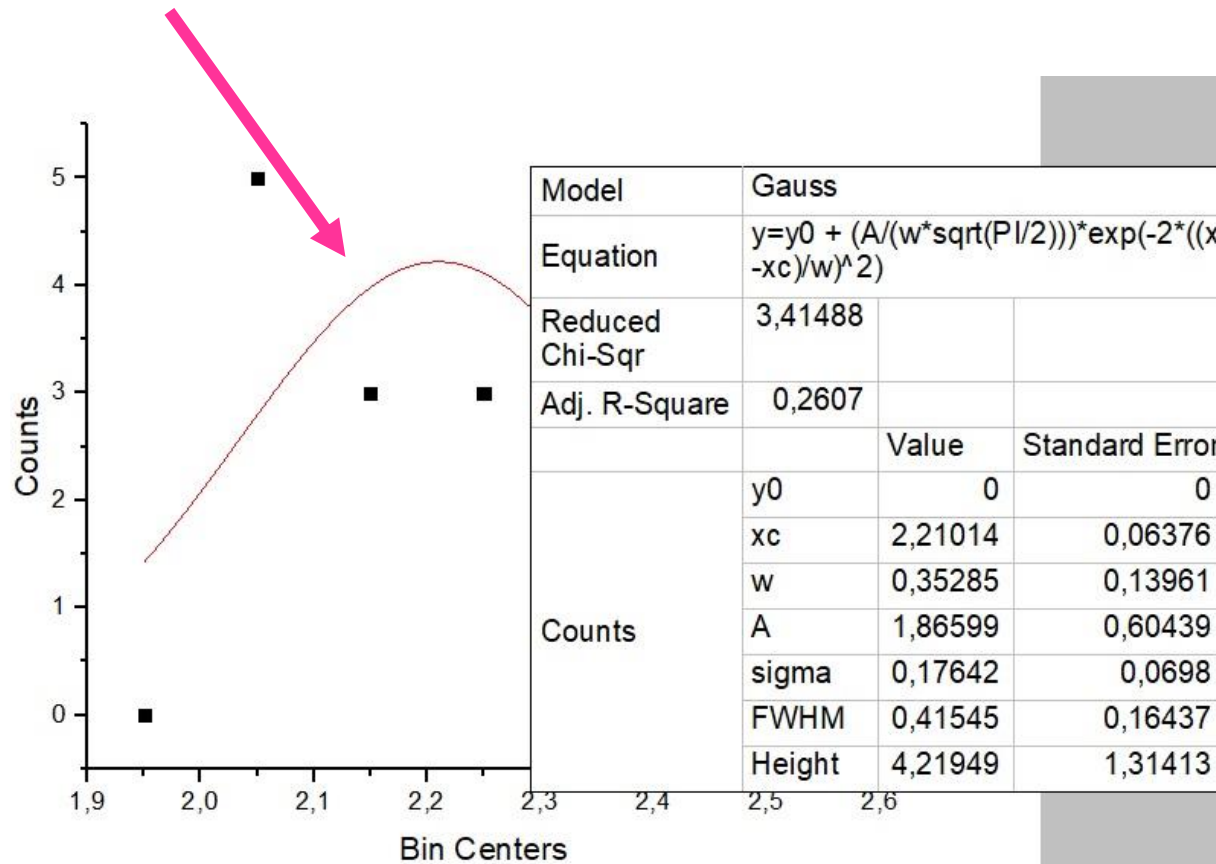
Fit Done

Residual Formula Sample Curve Messages Function File Hints

$$y = y_0 + \frac{A}{w\sqrt{\pi/2}} e^{-2\frac{(x-x_c)^2}{w^2}}$$



# AJUSTE



**Chi-Sqr**  
**R-square**  
**Standard error**

**INFORME**

# Informe

- Título
- Lista de autores
- Resumen
- Introducción teórica/ antecedentes problema
- Detalles Experimentales
- Resultados y discusión
  - Gráficos
  - Tablas
- Conclusiones
- Bibliografía/ Referencias

C:/Users/Laura/Desktop/Augusto/BIBLIOMAG/RotatableBarturenM-EPJB86-4-2013.pdf

## Rotatable anisotropy of epitaxial $\text{Fe}_{1-x}\text{Ga}_x$ thin films\*

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**Abstract.** We show by a combined magnetic force microscopy and synchrotron radiation spectroscopy study that stripe-like patterned magnetic domains are present in  $\text{Fe}_{1-x}\text{Ga}_x$  thin films. These stripes, whose origin is attributed to an out-of-plane magnetic component, can be rotated by an external magnetic field.

### 1 Introduction

Coupling magnetization of nanostructures to external non-magnetic fields is a challenge of today's research on nanomagnetism. For instance, electric fields were added to control local magnetization in multiferroic materials [1], spin polarized currents to generate RF coherent emission in nanopillars [2], self-organized templates to switch magnetization [3]. These and many others experiments promise new means to control local magnetic properties in spintronic devices avoiding cumbersome inductive means.

In this context, magnetoelastic coupling in magnetostrictive nanomagnets has potential for controlling magnetic properties by mechanical deformation. For instance, some of us reported recently high-frequency (around 200 MHz) magnetocaloric effect triggering in MnAs thin films epitaxied on GaAs(001) substrates [4].

These considerations motivate the magnetic properties study reported in this article. We focus on strong magnetoelastic  $\text{Fe}_{1-x}\text{Ga}_x$  thin films prepared by Molecular Beam Epitaxy on GaAs(001). It is well known that  $\text{Fe}_{1-x}\text{Ga}_x$  magnetoelastic coupling is tuned by the Ga content, displaying a high  $\lambda_{100}$  coefficient ( $400 \times 10^{-6}$  for  $x = 20\%$ ) and a strong dependence of the magnetostrictive coefficient on the Ga concentration [5,6].

Here, we report on the rotatable anisotropy of

OP magnetic anisotropy due to  $\text{Fe}_{1-x}\text{Ga}_x$  magnetostriction, probably enhanced by epitaxial constraints [7,8].

### 2 Sample growth

$\text{Fe}_{1-x}\text{Ga}_x$  thin films with  $x = 15\%$  were deposited by MBE on  $\text{C}(2 \times 2)$ -Zn terminated ZnSe epilayer, a prototype of low reactive iron/semiconductor interface [9]. Details of the MBE-growth of a pseudomorphic 20 nm thick ZnSe epilayer have been reported previously [7]. Such epilayer constitutes an efficient chemical barrier to separate  $\text{Fe}_{1-x}\text{Ga}_x$  from the substrate. We kept constant the growth temperature at 180 °C. At the end of the Fe-Ga growth, the samples were transferred from the MBE chamber to UHV-interconnected multi-chambers, where films compositions were firstly analyzed by X-ray photoemission spectroscopy (XPS). At the end, the films were protected by a 3 nm thick gold capping layer.

### 3 Experimental

As observed in reference [7]  $\text{Fe}_{1-x}\text{Ga}_x$  thin films are under a compressive strain. It was found that the in-plane lattice parameter of bulk iron is preserved leading to a marked tetragonal distortion. This tetragonal distortion is meta-

OJO

El informe va a una columna y espacio y medio de espaciado entre líneas.

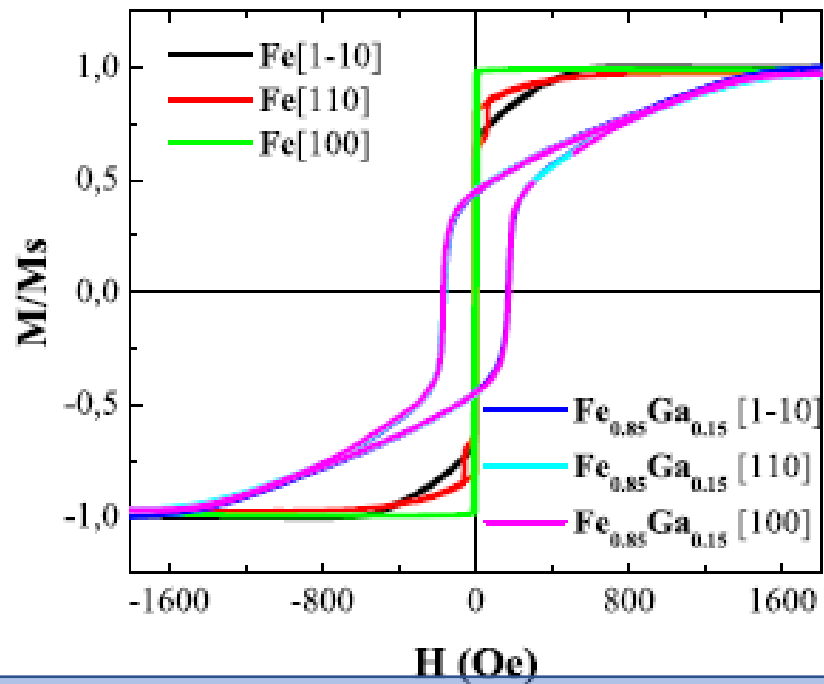


Fig. 2. VSM measurements of pure iron and FeGa thin films epitaxied on ZnSe/GaAs(001) substrates.